

Generating Anomalous Elliptic Curves - Erratum

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This document provides an erratum of the article “Generating Anomalous Elliptic Curves” which was published in *Information Processing Letters*, vol. 93, pp. 225-230, Elsevier, 2005. At page 229, a mistake occurred in the curve given in Example 1. A digit is missing in the coefficient μ which leads to a non-anomalous curve. Below, we rewrite Example 1 correctly with right coefficients as well as new points P and Q of the curve.

Example 1. For $m = 257743850762632419871495$, $p = 11m(m + 1) + 3$ is a prime number of length 160 bits. Then, the elliptic curve E over \mathbf{F}_p is defined by the equation $y^2 = x^3 + \mu x + \nu$, where

$$\mu = 425706413842211054102700238164133538302169176474,$$

and

$$\nu = 203362936548826936673264444982866339953265530166,$$

and one checks that $E(\mathbf{F}_p) = p$, and the curve E is anomalous over \mathbf{F}_p . Now, if

$$P = (13, 465544273814283170955860814979566909058839521305) \in E(\mathbf{F}_p)$$

and

$$Q = (17, 173827014976148521051073746232750578872372755801) \in E(\mathbf{F}_p),$$

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the method shows that $Q = nP$, with

$$n = 615421018442001462563539981905852134696556435295.$$

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